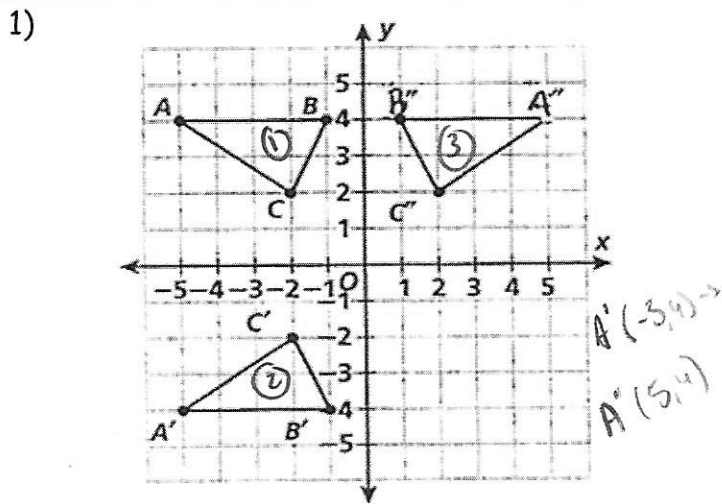
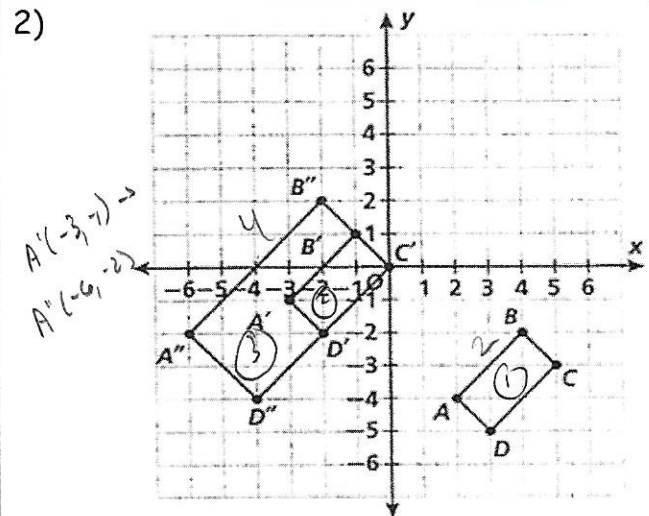


Identifying Sequences of Transformations

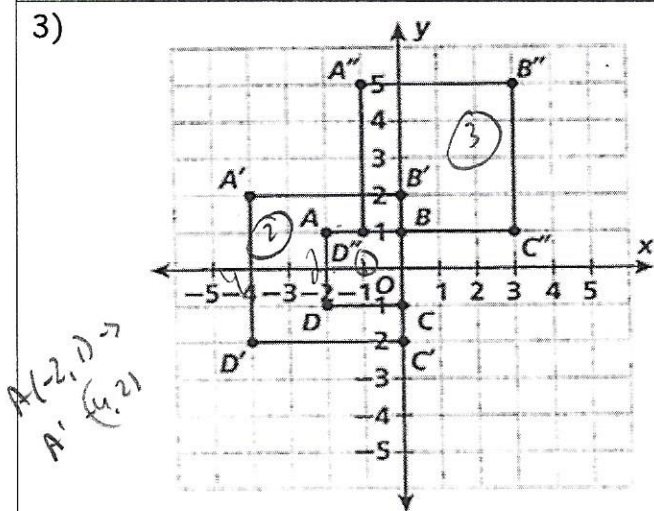
Directions: Identify the sequence of transformations from the original to the final image. Tell whether the two figures are similar (non-rigid) or congruent (rigid).



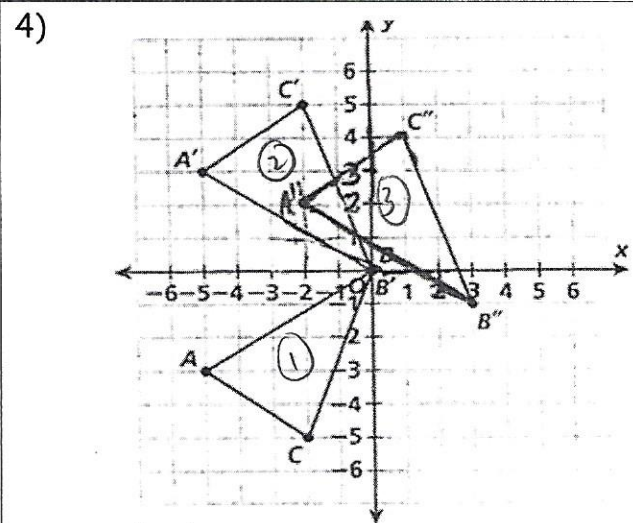
- Reflection over the x-axis
 - Rotation of 180° (or Reflection over the origin)
- Circle: similar (non-rigid) or congruent (rigid).



- Translation 5 units left + 3 units up
 - Dilation by a scale factor of 2
- Circle: similar (non-rigid) or congruent (rigid).



- Dilation by a scale factor of 2
 - Translation 3 units right + 3 units up
- Circle: similar (non-rigid) or congruent (rigid).

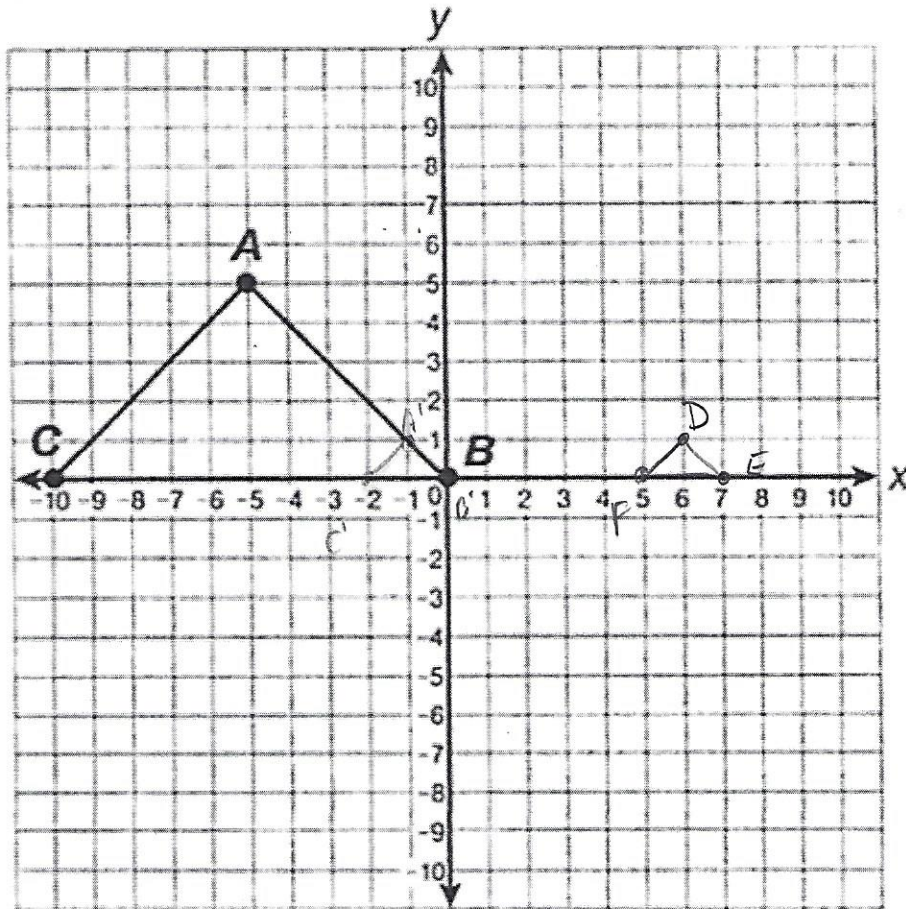


- Reflection over the x-axis
 - Translation 3 units right + 1 unit down
- Circle: similar (non-rigid) or congruent (rigid).

Directions: Draw a similar figure based on the given sequence of transformations. State the coordinates of the original and image.

5) Draw similar $\triangle DEF$ by dilating $\triangle ABC$ by $\frac{1}{5}$ and then translating the resulting image 7 units to the right.

$\triangle ABC$	$\triangle A'B'C'$	$\triangle DEF$
A(<u>-5, 5</u>) $\cdot \frac{1}{5}$	A'(<u>-1, 1</u>)	D(<u>6, 1</u>)
B(<u>0, 0</u>) $\cdot \frac{1}{5}$	B'(<u>0, 0</u>)	E(<u>7, 0</u>)
C(<u>-10, 0</u>) $\cdot \frac{1}{5}$	C'(<u>-2, 0</u>)	F(<u>5, 0</u>)

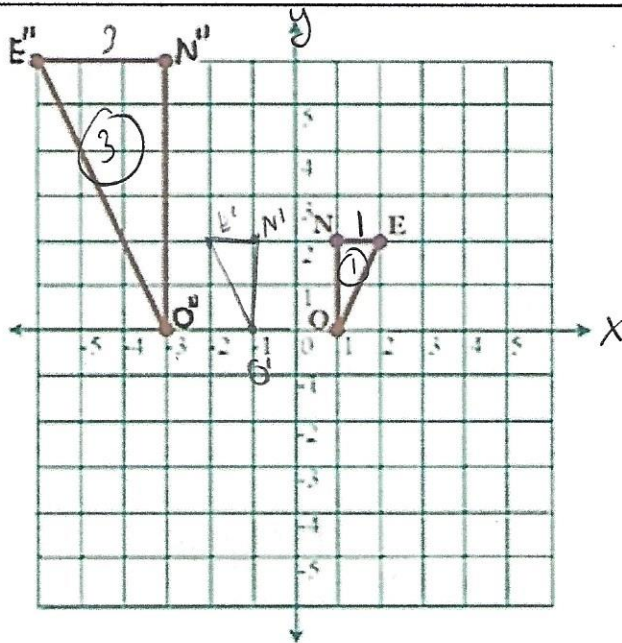


→ congruent → similar

Directions: Describe a sequence of rigid and non-rigid motions that could be used to show that each pair of figures is similar. For each problem, assume that $\triangle ONE$ is the original and $\triangle O''N''E''$ is the image.

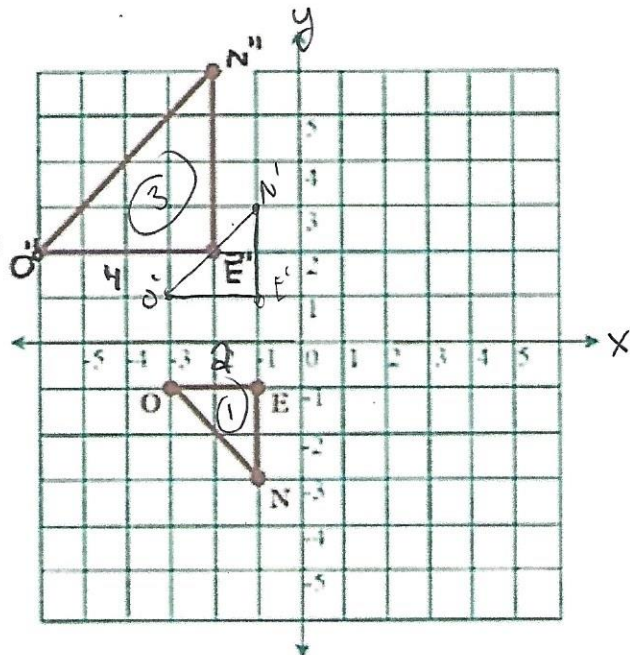
- 6) 1. Reflection over the y-axis
 2. Dilated by a scale factor of 3

Circle: similar (non-rigid)
 or congruent (rigid)



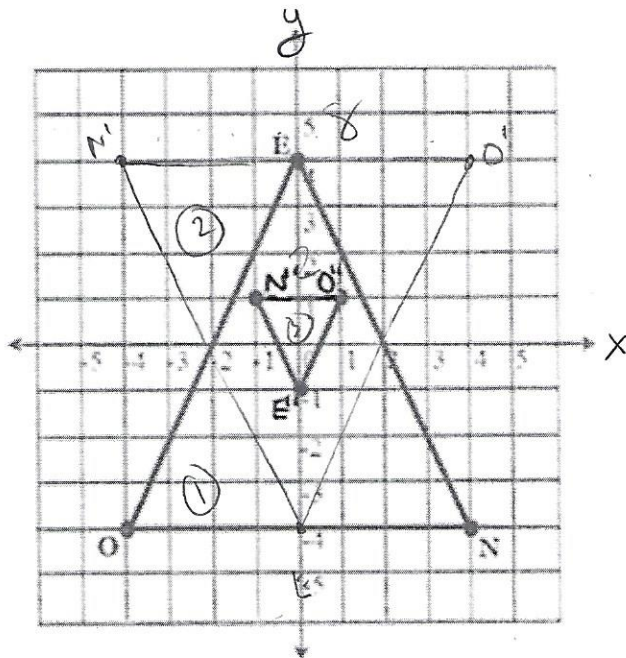
- 7) 1. Reflected over the x-axis
 2. Dilated by a scale factor of 2

Circle: similar (non-rigid)
 or congruent (rigid)



- 8) 1. Rotated 180° (Reflection over the origin)
 2. Dilated by a scale factor of $\frac{1}{4}$

Circle: similar (non-rigid)
 or congruent (rigid)



$$8 \rightarrow 2$$

$$8\left(\frac{1}{4}\right) = 2$$

$$O'(4, 4)$$

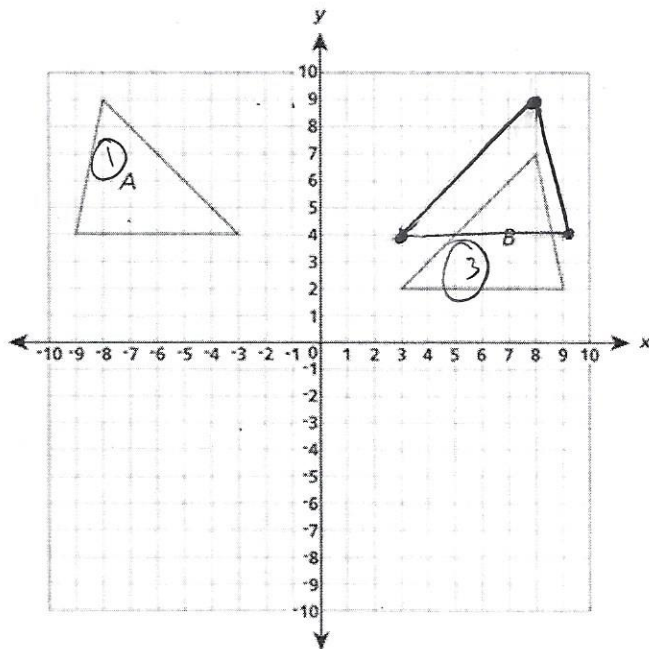
$$N'(-4, 4)$$

$$E'(0, -4)$$

$$E(0, 4) \rightarrow E'(0, -4)$$

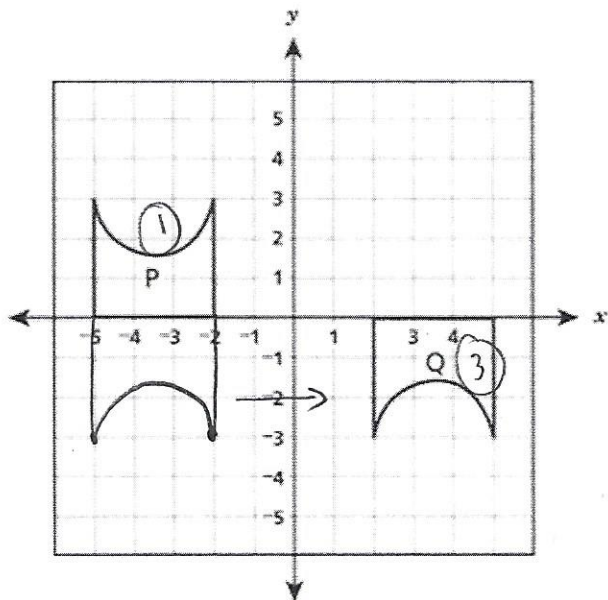
$$N(-4, 4) \rightarrow N'(-4, -4)$$

- 9) Which sequence of transformations takes ΔA to its image, ΔB ?



- a. Reflection over the x-axis and translation 2 units down.
b. Reflection over the y-axis and translation 2 units down.
 c. Translation 2 units down and 90° rotation about the origin.
 d. Translation 12 units right and 90° rotation about the origin.

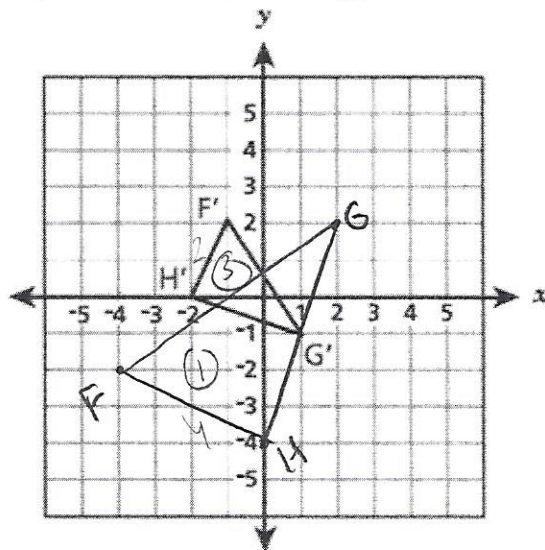
10) Figure Q was the result of a sequence of transformations on figure P, both shown below.



Which sequence of transformations could take figure P to figure Q?

- a. Reflection over the x-axis and translation 7 units right.
- b. Reflection over the y-axis and translation 3 units down.
- c. Translation 1 units right and 180° rotation about the origin.
- d. Translation 4 units right and 180° rotation about the origin.

original
11) The vertices of a triangle are located at $F(-4, -2)$, $G(2, 2)$, and $H(0, -4)$. A sequence of transformations to triangle FGH results in triangle $F'G'H'$ as shown below.



Which sequence of transformations to triangle FGH results in triangle $F'G'H'$?

- a. A 90° clockwise rotation about the origin, then a dilation by a scale factor of 2.
- b. A 90° counterclockwise rotation about the origin, then a dilation by a scale factor of 2.
- c. A 90° counterclockwise rotation about the origin, then a dilation by a scale factor of $\frac{1}{2}$.
- d. A 90° clockwise rotation about the origin, then a dilation by a scale factor of $\frac{1}{2}$.